

Designet jam  $V$  velocitatem maximam in oscillatione quavis, sintque  $A, B, C$  quantitates datae, & fingamus quod differentia arcuum sit  $AV + BV^{\frac{1}{2}} + CV$ . Et cum velocitates maximae in praedictis sex Casibus, sint ut arcuum dimidiorum  $1\frac{7}{8}, 3\frac{3}{4}, 7\frac{1}{2}, 15, 30, 60$  chordae, atque adeo ut arcus ipsi quamproxime, hoc est ut numeri  $\frac{1}{2}, 1, 2, 4, 8, 16$ : scribamus in Casu secundo quarto & sexto numeros  $1, 4, \& 16$  pro  $V$ ; & prodibit arcuum differentia  $\frac{1}{2^{1+\frac{1}{2}}}$  aequalis  $A + B + C$  in Casu secundo; &  $\frac{2}{35^{\frac{1}{2}}}$  aequalis  $4A + 8B + 16C$  in

$\frac{1}{342}, \frac{2}{35\frac{1}{2}}, \& \frac{8}{9\frac{3}{4}}$  evadunt  $\frac{62}{9}$   
 in numeris decimalibus 0,  
 prodeunt æquationes  $A + 16B = 0,05648$  &  $16A + 64B = 0,002097$ ,  $B = 0,003238$   
 bitam terminorum collat  
 fit  $A = 0,002097$ ,  $B = 0,003238$   
 tur differentia arcuum u  
 $0,003238 V^2$ : & propte  
 stentia Globi in medio ar  
 est  $V$ , fit ad ipsius pondus  
 gitudinem Penduli; si pro  
 fiet resistentia Globi ad ejus  
 $+ 0,0227235 V^2$  ad long  
 pensionis & Regulam, id